Recognition of Force Magnitude Applied to Pressure-Sensitive Conducting Rubber Sensors on the Basis of Frequency Table

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Abstract

This study aims to develop a force sensor system with a pressure-sensitive conductive rubber (PSCR), which shows the decrease of electrical resistance when pressure is applied. The biggest obstacle of the sensor is a poor reproducibility in the characteristic between the force and the resistance of the PSCR, which derived from a hysteresis and time variant properties. In this paper, we propose one method for recognizing a magnitude of the force to the PSCR using frequency tables. The validity of the proposed method is confirmed on the basis of experimental results.

Keywords

Electric Conducting Rubber, Force Sensor, Frequency Table, Recognition of Force Magnitude

1. Introduction

Nowadays, force control has been more and more applied to a compliance control for robot arms as well as a feedback control of the humanoid robot hand for grasping fragile objects [1] [2] [3] [4]. The force control is actually realized by the feedback of the force detected by a force sensor [3]. Since the commercially available force sensor provides so small output signal as to require an amplifier, which results in high cost.

Pressure-sensitive electrically conductive rubber (PSCR) is one of the materials, the characteristics of which depend on the applied pressure. The PSCR consists of a rubber matrix where electrical conductive particles are scattered inside. When the pressure is applied, the particles are connected each other, then the electrical resistance decreases along with the pressure. The change in the re-
Resistence is detected as an electric voltage as described later. The PSCR is passive sensor so that it does not need a sophisticated amplifier. Since the PSCR is a soft rubber sheet, the form can be taken freely and it can be used even on a non-flat area. So the PSCR is so attractive for the cost effective force sensing that the application and improvement of the PSCR sensor have been performed recently [5] [6] [7] [8].

Despite the advantages described above, the PSCR has the fault that it has a hysteresis property in the relationship between pressure and electrical resistance. Another serious problem is a poor reproducibility in measurement value. It really has made an obstacle for practical use. The idea in this article is that applied pressure is roughly recognized from the obtained time-series output data with the help of an experimentally prepared frequency table previously. The efficacy of this method is verified experimentally.

2. Experimental Details

2.1. Hardware of the Force Sensor

It should be described about the PSCR sensor. In the PSCR electrically conductive particles are randomly embedded in rubber matrix sheet as shown (left) in Figure 1. When pressure is applied on the sheet, the conductive particles are connected each other to form a current path as shown in the figure (right). This change can be detected as a decrease in electrical resistance.

There are two types of the PSCR depending on the materials of the conductive particles: metal or carbon. The scheme of the resistance variation is quite different in the two cases. The variation is shown in Figure 2. The left figure shows a step-like dependence and the right one shows a continuous variation. The latter analog-type PSCR is more suitable for the estimation of a pressure. We adopted this analog-type of PSCR sheet for the sensor.

![Figure 1. A schematic diagram of a pressure-sensitive conductive rubber (left) and its state when the force is applied (right). Electric current can flow through the rubber by the application of force.](image1)

![Figure 2. Two types of pressure-sensitive conduction rubber.](image2)
In our experiments, the PSCR (produced by PCR Technical) was cut in square of 4.4 cm. Two sheets of Al foil were attached to the both surfaces of the PSCR as the electrodes. This was sandwiched by two Al plates for the purpose that applied pressure should be uniform over the PSCR sensor even when weight was put on it locally.

The electric circuit for the detection is shown in Figure 3. The element of \( r \) in the figure indicates the sensor, where the resistance is varies with the applied force. The \( V \) in the left side is the applied voltage source (direct current) of 5.0 V. The \( R \) and \( C \) are a load resistor (3.9 k\( \Omega \)) and a bypass capacitor (4.7 \( \mu F \)) for noise reduction, respectively. The \( V_o \) is the output voltage, which was transferred to a personal computer. The \( V_o \) is simply calculated by

\[
V_o(t) = \frac{R}{r(t) + R} V.
\]

To show the feature of the PSCR sensor briefly, the time responses (100-time repetition) of the output voltage \( V_o \) is shown in Figure 4 (100 times) when 4.9 N was applied at 0 s. The figure shows that it takes 0.4 s for the convergence. It is due to the inherent property of rubber. The figure also shows that the convergence value is dispersed so much. The relationship (10 times) between converged value of \( V_o \) and the applied force is shown in Figure 5. This figure also shows the dispersion of the converged values. The dynamic range lies around less than 150 N.

![Figure 3](image-url)  
*Figure 3. A detecting circuit for the rubber sensor \( r \). Direct current voltage of 5 V was applied across the terminals (\( V \) in the figure), and the voltage of \( V_o \) was measured.*

![Figure 4](image-url)  
*Figure 4. Time response of \( V_o \) with the applied force of 4.9 N (100 times).*
2.2. Recognition of Pressure with a Frequency Table

We describe here the procedure of the recognition of pressure with a frequency table. At first, some variables are defined here. The origin of time is set to the time when the weight is put on the sensor. The passed time is defined to be $t_i$ ($I = 1, 2, \cdots, m$), where each period is not necessary to be the same. The class of the observed voltage is labelled as $j$ where the voltage is in the region between $(j - 1)\Delta V_o$ and $j\Delta V_o$. The weight to be distinguished is defined to be $w_k$ ($k = 1, 2, \cdots, n$). Frequency tables are prepared from the data obtained so many times with known weights in advance. The frequency table for the time $t_i$ is shown in Table 1. In this table $p(i, j, k)$ is the number of times where the time is $t_i$, the observed voltage is ranked at the label $j$, and the known weight of $w_k$. The $S(i, j)$ at the right ends of the table, represents the sum of all the number of times through all the known weight in the same voltage region.

Then the unknown weight is put on the sensor and the time response of the output voltage is measured. From the obtained time response, the weight can be estimated using the frequency table as follows. The output voltage at $t_i$ is in the weight range of $j$, then the evaluation function of $J_k$ for the weight $w_k$ is defined as

$$J_k := \max \left(\omega_1 * p(1, j_1, k), \omega_2 * p(2, j_2, k), \cdots, \omega_m * p(m, j_m, k)\right).$$

where $\omega_i$ is the weight function. With the weight function, it can be opted which time should be emphasized for the evaluation. After the $J_k$ for all $k$'s are calculated, the estimated weight of $w_z$ is obtained as

$$z := \arg \max (J_1, J_2, \cdots, J_n).$$

This method is very helpful for the case that the output voltage includes large experimental errors and that the weight is estimated roughly. The estimation is powerful especially when the measured weight is classified only to small number of discrete groups. However this can also be well applied to the case without large errors definitely.
Table 1. Frequency table for $V_o(t)$.

<table>
<thead>
<tr>
<th>Class of $V_o$ [V]</th>
<th>Frequency for each weight</th>
<th>Total</th>
</tr>
</thead>
<tbody>
<tr>
<td>$0 - \Delta V_o$</td>
<td>$p(i,1,1)$  ... $p(i,1,n)$</td>
<td>$S(i,1)$</td>
</tr>
<tr>
<td>$\Delta V_o - 2 \Delta V_o$</td>
<td>$p(i,2,1)$  ... $p(i,2,n)$</td>
<td>$S(i,2)$</td>
</tr>
<tr>
<td>$\vdots$</td>
<td>$\vdots$  ... $\vdots$</td>
<td>$\vdots$</td>
</tr>
<tr>
<td>$(j-1)\Delta V_o - j\Delta V_o$</td>
<td>$p(i,j,1)$  $p(i,j,n)$</td>
<td>$S(i,n)$</td>
</tr>
</tbody>
</table>

2.3. Recognition Trials

We describe here the conditions of the experiment for the recognition of the weight. We have chosen three kinds of force 4.9, 9.8 and 14.7 N that correspond to 0.5, 1.0 and 1.5 kgf, respectively. In this experiment $t_i$ is set to:

$$t_i = 0.1 + 0.05 \times (i - 1), 1 < i < 7,$$

And $\Delta V_o$ was 0.025 V. The weight function was that $\omega_1$ and $\omega_2$ were 0.1, $\omega_3$ and $\omega_4$ were 0.2, $\omega_5$ and $\omega_6$ were 0.3 and $\omega_7$ was 0.4. The sampling period was 0.005 s. For the preparation of the frequency tables, the $V_o$ response was measured 100 times for each weight. The duration of the measurement was 1 s.

3. Results of Recognition Rate Estimated by This Procedure

The time response of $V_o$ was shown in Figure 4 when the force was 4.9 N. Similarly, those for 9.8 and 14.7 N were shown in Figure 6 and Figure 7, respectively. The static value of the output voltage at 1 s was centered at 0.2, 0.4 and 0.7 V, respectively. The observed surge under 0.1 V in Figure 7 derived from a transient experimental error. The average value and the range within the standard deviations of the response of $V_o$ are shown in Figure 8 under 0.4 s. The range of the standard deviation is separated with each other perfectly at 0.4 s, although they are overlapped, as the time becomes smaller. So, it is rational that the weight function of $\omega$ is the larger for larger $m$. The frequency table at 0.4 s is shown in Table 2.

Using Table 2, the recognition tests were performed 100 times for each weight. The results are shown in Table 3. It shows that the weight of $w_1$ is recognized $w_1$ for 92% and $w_2$ for 8%. There is no miss recognition between $w_1$ and $w_3$. All recognition rates are above 84%. This high recognition rate is surprising when it comes to a low-cost electric conducting rubber that has a hysteresis property.

This algorithm is shown to be able to evaluate the recognition rate for the discrete weight. This recognition algorithm can give a quantitative performance of the rubber force sensor. It is because the procedure is suitable for the time response output with large errors. This kind of system cannot be treated with any
Figure 6. Time response of $V_o$ with the applied force of 9.8 N (100 times).

Figure 7. Time response of $V_o$ with the applied force of 14.7 N (100 times).

Figure 8. The average and standard deviation of the response of each $V_i(t)$ for three samples of $w$.

Table 2. Frequency table for a trial at $i = 7$ ($t = 0.4$).

<table>
<thead>
<tr>
<th>Class of $V_i$ [V]</th>
<th>Frequency for each weight</th>
<th>Total</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>$w_1$</td>
<td>$w_2$</td>
</tr>
<tr>
<td>0 - 0.025</td>
<td>0</td>
<td>...</td>
</tr>
<tr>
<td>...</td>
<td>...</td>
<td>...</td>
</tr>
<tr>
<td>0.150 - 0.175</td>
<td>16</td>
<td>1</td>
</tr>
<tr>
<td>0.175 - 0.200</td>
<td>20</td>
<td>3</td>
</tr>
<tr>
<td>0.200 - 0.225</td>
<td>4</td>
<td>3</td>
</tr>
<tr>
<td>...</td>
<td>...</td>
<td>...</td>
</tr>
<tr>
<td>0.900 - 0.925</td>
<td>0</td>
<td>0</td>
</tr>
</tbody>
</table>
Table 3. Results of the discrimination experiments.

<table>
<thead>
<tr>
<th>Magnitude of ( w(t) )</th>
<th>Number of the discrimination</th>
<th>Recognition ratio [%]</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>( w_1 ) ( w_2 ) ( w_3 )</td>
<td></td>
</tr>
<tr>
<td>( w_1 )</td>
<td>92</td>
<td>8</td>
</tr>
<tr>
<td>( w_2 )</td>
<td>8</td>
<td>84</td>
</tr>
<tr>
<td>( w_3 )</td>
<td>0</td>
<td>10</td>
</tr>
</tbody>
</table>

sophisticated control theory anyway. This can be applied to other similar systems including large errors.

The next interesting point is that the recognition rate is studied among conducting rubber sensor under different situations. Further, the parameters such as \( t \) and weight functions are needed to be adapted for the better recognition rate. In order to challenge a complicated system with random portion largely, this kind of primitive approach is inevitable even for further research.

4. Conclusion

The application of pressure-sensitive conductive rubber to a feedback system to measure the pressure is so cost effective but has a critical problem of its poor reproducibility. In the article, the method for recognition of applied force magnitude is proposed on the basis of frequency table. It was shown that the trial of this method gave the recognition rates above 84%. This method is decently effective for recognition of the data with large errors. We expect further investigations to verify the response when the load is removed as well as the dynamic identification of the load.

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Conflicts of Interest

The authors declare no conflicts of interest regarding the publication of this paper.

References


https://doi.org/10.1016/j.robot.2006.05.013

https://doi.org/10.4236/jst.2012.23018

https://doi.org/10.4236/jst.2013.33007

https://doi.org/10.4236/jst.2016.63004

https://doi.org/10.4236/jst.2016.63006