Optimization of the A Constant for the SRK/T Formula

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Received 13 May 2015; accepted 31 July 2015; published 5 August 2015

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Abstract

Purpose: To evaluate the effect of axial length (AL) and the average preoperative keratometry (K) on the A constant in the SRK/T formula. Methods: The retrospective, comparative case series includes 635 eyes from 407 cataract patients from Columbia University Medical Center from January 2006 to August 2010, operated by a single surgeon using a temporal incision and the Acrysof SN60WF IOL (Alcon Laboratories, TX). Using the postoperative manifest refraction and biometry data, we calculated the precise A constant (Ap) necessary to yield the postoperative spherical equivalent for each eye. To optimize the A constant, we developed three regression models (linear, quadratic, and categorical in 7 AL groups) to relate these precise A constants to AL and K. We verified our method with another series of 45 eyes for which we calculated mean errors (defined as the difference between the spherical equivalent of the postoperative refraction and the predicted postoperative refraction) using the optimized and manufacturer's suggested A constants. Results: There is a statistically significant relationship between AL (P < 0.001), K (P < 0.001) and the A constant. Ap increased as AL increased and as K decreased. In the validation data set, optimizing the A constant reduced mean errors from 0.50 D to 0.25 D and also reduced hyperopic refractive outcomes. Conclusions: The A constant for longer eyes with flatter corneas is larger than the A constant for shorter eyes with steeper corneas. Optimizing A constants using both AL and K improved the predictability of refractive outcomes without modification to the SRK/T formula.

Keywords

Cataract Surgery, SRK/T, A Constant

1. Introduction

In small incision cataract surgery, an accurate refractive outcome depends on a reliable intraocular lens (IOL)
power formula, accurate biometry, and appropriate IOL constants. The SRK/T formula [1] is a third generation formula to determine the power of the implanted IOL. The IOL manufacturers suggest a lens-specific value for the A constant as a starting point for IOL calculation. Despite advances in surgical technique and biometry measurement, the post-operative refraction may deviate from the target refraction. Refinement of the constants of the IOL formulas may help to achieve the targeted refraction [2]-[4]. Olsen showed that incorporating the postoperative IOL position of the first eye improved the prediction accuracy for the second eye [5], and this method served as the basis for further studies [2] [6] [7]. Sheard and colleagues [8] reported that at the extremes of AL and K, the SRK/T was less accurate in calculating the corrected AL and corneal height, leading to inaccuracies in the IOL power prediction. Eom and colleagues showed that using A constants adjusted for corneal power improved refractive outcomes [9].

Authors of modern formulas have recommended many methods for optimizing IOL constants [10]-[12], but there is currently no standard method of optimization. Furthermore, patients with eyes at the extremes of axial length may be underrepresented [3]. This study examines the effect of AL and average preoperative keratometry (K) on the A constant using a large cohort of cataract surgery patients and the Acrysof SN60WF IOL. We developed regression models to optimize the A constant for each eye using its AL and K measurements. Our results suggest the use of these optimized A constants can improve the accuracy of the predicted postoperative refraction.

2. Methods

The Institutional Review Board of Columbia University approved this retrospective study of 635 cataract surgery cases (mean age 75 years, with 172 male eyes and 235 female eyes) with at least three consistent preoperative keratometry measurements and a consistent postoperative refraction. The study excludes patients unable to maintain fixation and those whose corneas were irregular due to conditions such as megalocornea or other congenital abnormalities, scars, dystrophies, or edema, or whose cataracts were too dense for accurate AL measurement with the IOLMaster (Carl Zeiss Meditec AG, Jena, Germany).

The surgeon selected the IOL power based on the preoperative biometry using the SRK/T formula. Keratometry measured with the IOLMaster was compared to manual keratometry, but in all cases the IOL calculation was based on the average keratometry values generated by the IOLMaster. A single surgeon (JCM) performed all procedures with local anesthesia and a temporal 2.2 or 2.6 mm clear corneal incision. The surgeon injected an Acrysof SN60WF (Alcon Laboratories, TX) into the capsule and dilated all patients postoperatively to be certain that both haptics of the IOL were within the capsule. The surgeon refracted all patients and entered the spherical equivalent of the stable postoperative manifest refraction into the IOLMaster’s database.

The biometry data for each patient was extracted from the IOLMaster database by Zeiss in Jena, Germany. Using the biometry data and the spherical equivalent of the postoperative manifest refraction, we used the SRK/T formula to back calculate the precise A constant (Ap) for each eye.3 We ran multiple regression analyses to identify three possible models to optimize the A constant based on AL and Kavg 1) as linear variables, 2) AL as a quadratic variable, and 3) AL as a categorical variable with 7 subgroups in 1 mm increments ranging from less than 22 mm to greater than 27 mm. Optimized A constants from each model were used to predict the refractive outcome and the mean absolute error from the achieved refraction for each patient. The extracted data contained measurements from IOLMaster versions 3 and 5. Separate analysis of these two groups showed no significant difference between their Ap (P = 0.91), and the groups were merged for this paper.

Statistical Analysis

Mixed linear models were developed to describe the association between Ap and age, gender, AL, and Kavg. Variables with no significant effect on Ap were removed from the regression models, and SAS PROC MIXED (SAS software version 9.2, SAS Inc., Cary, NC) was used to account for the intra-class correlation between eyes of the same patient and to allow for a random intercept. Results were considered statistically significant if the P value was < 0.05.

3. Results

3.1. The Models to Optimize the A Constant

Table 1 shows Ap, AL, and K for both cohorts. The mean Ap of 119.3 mm is similar to the ULIB value of 119.0
Table 1. The mean, minimum, and maximum values of the data-adjusted precise A constant (Ap), AL, and Kavg.

<table>
<thead>
<tr>
<th>Variable</th>
<th>Mean + StdDev</th>
<th>Min, Max Maximum</th>
<th>Data Set for Developing Formulas (635 eyes)</th>
<th>Data Set for Validating Formulas (45 eyes)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Ap (mm)</td>
<td>119.31 ± 0.51</td>
<td>117.44, 122.58</td>
<td>--</td>
<td>--</td>
</tr>
<tr>
<td>AL (mm)</td>
<td>24.1 ± 1.37</td>
<td>20.5, 30.0</td>
<td>23.9 ± 1.16</td>
<td>22.2, 27.5</td>
</tr>
<tr>
<td>Kavg (mm)</td>
<td>43.7 ± 1.42</td>
<td>39.4, 48.3</td>
<td>44.1 ± 1.48</td>
<td>40.2, 47.1</td>
</tr>
</tbody>
</table>

mm. The Ap almost always differed from the manufacturer’s A constant of 118.7 mm. Linear regressions indicate that Ap has a significant correlation with both AL and K (P < 0.0001). No correlation is evident between Ap and age (P = 0.92). While a statistically significant relationship was also found between gender and the A-constant (P = 0.005), AL was highly correlated with gender, so gender provided no additional information to the model. Pearson correlation coefficients showed that AL (correlation coefficient 0.39) has a stronger effect than K (correlation coefficient −0.25) on Ap. AL and K are also inversely correlated with one another (correlation coefficient −0.23) (P < 0.0001). Figure 1 shows the relationship between Ap and the corresponding AL for each eye, and a least squares polynomial regression of the plot suggests that the relationship between the A constant and AL is non-linear (R^2 = 0.25).

Regression analysis identified a linear model to describe the relationship between the A constant and both AL and K.

\[ A = 119.94 + 0.11AL - 0.077K \] (1)

In the linear model, an AL of 24 mm and K of 43.7 mm yield an optimized A constant of 119.22; and an AL of 27 mm and K of 43.7 m yield an A constant of 119.55.

In contrast, the quadratic model incorporates a quadratic AL term to allow for curvature to improve the fit.

\[ A = 150.84 - 2.32AL + 0.049(AL)^2 - 0.096K \] (2)

In the quadratic model, an AL of 24 mm and K of 43.7 mm yield an optimized A constant of 119.19; and an AL of 27 mm and K of 43.7 mm yield an A constant of 119.73.

Finally, the categorical model employs seven AL subgroups as categorical variables (in 1 mm increments from less than 22 mm to greater than 27 mm) with an AL correction factor X that adjusts the A constant for each AL subgroup (Table 2). The AL factor X variable is a significant predictor of the A constant (p < 0.001)

\[ A = 123.93 + ALfactorX - 0.091K \] (3)

In the categorical model, an AL of 24 mm and K of 43.7 mm and an AL factor of −0.64 result in an optimized A constant of 119.31 mm; and an AL of 27 mm and K of 43.7 mm and an AL factor of 0 result in an A constant of 119.95. For the same eye with AL 24 mm and K of 43.7 mm, all three regression models produce similar optimized A’s that differ from the manufacturer’s A. For eyes with the same AL, a steeper cornea would yield a smaller A value, and vice versa. For example, for eyes with AL of 24 mm and mean K of 42.0 and 47.0 mm, the categorical model yields an A of 119.47 and 119.01, respectively. In summary, both AL and K influence the A constant, which increases with increasing AL and decreasing K. In other words, a larger A is needed for longer eyes with flatter corneas.

3.2. Validating the Models

We used a data set of 45 eyes to evaluate the accuracy of the predicted postoperative refraction with the optimized A constants. With A constants derived from our three models, the ULIB website1, and the manufacturer, the absolute value of the ME ranged from 0.00 to 1.25 D. The absolute value of the ME decreased from 0.50 D when using the manufacturer’s A to 0.25 D when using optimized As from any of the three models. Furthermore, Figure 2 shows that the optimized A constants decreased the percentage of eyes with positive mean errors, or hyperopia. Using the manufacturer’s A constant, 22.2% of the eyes in the validation data set have hyperopic ME.

1http://www.augenklinik.uni-wuerzburg.de/ulib/.
Figure 1. Axial lengths vs. precise A constants ($A_p$) for each eye. $A_p$ increases with AL, especially with AL $> 26$ mm. A least squares polynomial regression of the plot illustrates that the relationship between the $A_p$ and AL is non-linear ($R^2 = 0.25$).

Figure 2. Histogram of mean errors (ME) calculated using A constants from the three models, the manufacturer (118.7), and the User Group for Laser Interference Biometry (ULIB) website (119.0). ME is the difference between the spherical equivalent of the achieved postoperative refraction and the predicted postoperative refraction using optimized and manufacturer’s A constants. Optimized A constants from the models decreased the positive refractive or hyperopic errors, as predicted using the manufacturer’s A.

Table 2. Correction factor X for the seven AL subgroups of the categorical model.

<table>
<thead>
<tr>
<th>Axial Length (mm)</th>
<th>Number</th>
<th>X Frequency</th>
</tr>
</thead>
<tbody>
<tr>
<td>&lt;22.0</td>
<td>25</td>
<td>-0.59</td>
</tr>
<tr>
<td>22.0 to &lt;23.0</td>
<td>80</td>
<td>-0.70</td>
</tr>
<tr>
<td>23.0 to &lt;24.0</td>
<td>260</td>
<td>-0.76</td>
</tr>
<tr>
<td>24.0 to &lt;25.0</td>
<td>142</td>
<td>-0.64</td>
</tr>
<tr>
<td>25.0 to &lt;26.0</td>
<td>71</td>
<td>-0.57</td>
</tr>
<tr>
<td>26.0 and &lt;27.0</td>
<td>32</td>
<td>-0.44</td>
</tr>
<tr>
<td>AL $\geq$ 27.0</td>
<td>25</td>
<td>0</td>
</tr>
</tbody>
</table>
greater than +0.5 D. Using optimized A constants, none of the eyes from the three optimization models had hyperopic MEs greater than +0.5 D.

3.3. Validating

Cataract surgery is a refractive procedure, and suboptimal refractive outcomes may temper patient satisfaction [13]. This study found a statistically significant correlation between AL, K, and the optimized A constant within the SRK/T formula. A single A constant is not optimal for all eyes with different AL and K values. We showed that a larger optimized A constant is needed for eyes with longer AL and flatter corneas. Optimized A in turn reduced the postoperative error and hyperopic outcomes compared to using the manufacturer’s A. This is similar to the findings from previous studies that larger A constants may be needed to reduce hyperopic refractive errors [9].

Eom and colleagues examined the relationship between K, AL and predicted refractive error in 637 patients and found that the A constants decreased as K increased, consistent with our results. However, they concluded AL did not have a significant effect on postoperative error [9]. Our method differed, and we specifically evaluated the effect of AL on the optimized A constants, not on refractive errors. We showed that using optimized A constants in turn improved the postoperative refractive error. Our finding that both AL and K are important is consistent with the study by Wang and colleagues, who reported that inaccurate estimation of AL contributes to postoperative refractive error in long eyes >25 mm [14]. They found that optimized AL, sometimes smaller than the measured AL, reduced hyperopic outcomes in long eyes [14].

Clinicians may use the authors’ A constants as a point of reference for each AL subgroup in the IOLMaster. A prior study found that optimizing IOL constants for the IOLMaster substantially improved refractive outcomes, far exceeding any additional benefit of personalizing IOL constants for individual surgeons [2]. Although all three regression models substantially improved the predicted refractive errors, the categorical model may be most easily programmed into the IOLMaster by creating AL groups. The optimized A constants in the categorical model were similar to As from the quadratic or linear models, and the A constant at high AL differs from the ULIB website’s A constant of 119.0. While the standard interface of the IOLMaster assumes that one will use a single A constant for each IOL, the categorical model creates different As for groups of eyes with different AL, so longer eyes would warrant a larger A than shorter eyes. Once clinicians have amassed a critical number of eyes, they may use a set of A constants specific to their practices. Achieving targeted refractive outcomes is difficult in long eyes, which tend toward postoperative hyperopia [15]-[21]. When AL was measured with ultrasound, postoperative refractive errors were attributed to the inaccurate estimation of AL [14] [16] [18] [22]. After the introduction of more accurate laser interferometry measurements, however, the formula-dependent IOL power calculation is believed to contribute most to the error [22] [23]. All three regression models substantially improved the predicted refractive errors. It is not difficult to calculate an A constant for an individual eye with the quadratic model, but the categorical model may be most easily programmed into the IOLMaster by creating AL groups.

Low myopia after surgery may work as a substitute for accommodation and make patients more spectacle-independent [24] [25]. The manufacturer’s A constant tends to produce more hyperopic errors than an optimized A constant [2], and hyperopia is a particularly undesirable outcome [2]. While other causes of postoperative hyperopia include posteriorly angulated IOLs from capsular fibrosis or late capsular bag distension syndrome [26]-[28], our study suggests that the optimized A constants may also reduce postoperative hyperopia.

The range of acceptable error depends on the clinical significance of the refractive error. With a large data base of 8108 eyes, Aristodemou et al. analyzed the benefits of IOL constant optimization based on refractive outcomes using manufacturers’ and optimized IOL constants for the Hoffer Q, Holladay 1, and SRK/T formulas. They found that an A constant error exceeding 0.15 produced up to a 2.0% reduction in the percentage of eyes within ±0.50 D deviation from target refraction with the SRK/T formula [2]. Using the categorical model, an eye with an axial length of 24.08 mm and K of 43.68 mm has an optimized A constant of 119.32 mm, which is 0.62 greater than the manufacturer’s recommended value of 118.7 mm and far exceeds this A constant error limit of 0.15. While the IOLMaster optimizes the A constant using data from 10 or more eyes, as many as 257 eyes may be required to optimize an IOL constant with an error margin of 0.10 [2]. Furthermore, the IOLMaster only generates one A constant for all eyes, while our regression models generate optimized A constants personalized for each eye.

It has been suggested that different IOL formulas may be used for different ALs. Aristodemou compared the
Hoffer Q, Holladay 1, and SRK/T formulas in 8108 eyes. They found that while all three tend to work equally well for medium length eyes, the Hoffer Q performed best in eyes with AL less than 22 mm and the SRK/T in eyes with AL > 27 mm [29]. In a separate study using the same database, Aristodemou also found that optimizing the IOL constant improved the predictability of refraction outcomes more than the choice of third-generation IOL formulas [2]. Nevertheless, for short eyes, the clinician may consider using or comparing the results with the Hoffer Q. This study suggests that surgeons may improve the refractive outcomes using SRK/T formula across AL ranges by considering each eye’s AL and K measurements.

Acknowledgements
We would like to thank Stephen DeVience, PhD, for his support.

References


