

# Species and global change—Assessing the extinction point of albacore stocks

Chien-Hsiung Wang<sup>1\*</sup>, Shyh-Bin Wang<sup>2</sup>

<sup>1</sup>Biological and Fishery Division, Institute of Oceanography, National Taiwan University, Taipei, Chinese Taipei;

\*Corresponding Author: [chwang@ntu.edu.tw](mailto:chwang@ntu.edu.tw)

<sup>2</sup>Institute of Marine Resource Management, College of Life and Resource, Sciences, National Taiwan Ocean University, Keelung, Chinese Taipei; [sbwang@mail.ntou.edu.tw](mailto:sbwang@mail.ntou.edu.tw)

Received 11 May 2012; revised 10 June 2012; accepted 24 June 2012

## ABSTRACT

**Global change determines the environmental condition and leads to decide the carrying capacity. While carrying capacity determines the extinction of the species, it is an important issue to estimate the extinction point of the species, the minimal carrying capacity, or the tolerant limitation of the species. If it is possible to estimate the tolerant limitation of the species, it will be possible to control the global change. Applied the above idea to the albacore stocks, it revealed that extinction point was about 0.0018% of the present status. From these results, it implies that this method may also suitable to other species for estimating their carrying capacities.**

**Keywords:** Global Change; Environment; Carrying Capacity; Extinction; Albacore; Biomass; Estimation of Carrying Capacity

## 1. INTRODUCTION

In the 21-st century, global change is the most serious problem for human life. Besides of the lack of food, floods, drought, typhoon, mudflows, or landslides, and so on, certainly, the damage of global change is remarkable. Different species naturally have different responses for varied environments. They need to suit in and get adapted to different environments. Varied environments determine the carrying capacity of the species and induce the fluctuation of the population. Carrying capacity provides the necessary information about the response of the species under global change. Stable environment implies stable carrying capacity while worse environment shows smaller carrying capacity and better environment gets larger carrying capacity.

In fishery, definition of the carrying capacity was “the

maximum equilibrium population biomass to which the population will approach in the absence of interference” (Gulland [1]). It was always with extensive, but imprecise, and different meanings in many research fields. The variability was due to it entailed a myriad of interrelating, ever changing biotic and non-biotic factors (Monte-Luna [2], Mora [3], Tittensor [4], Mora [5], Mora [6]). However, it is a well-defined index of the species responding to the environmental condition.

Schaefer model (Schaefer [7], Schaefer [8]) provided a useful tool for estimating the carrying capacity. It always showed a symmetric relationship between net production and biomass. Pella and Tomlinson (Pella and Tomlinson, [9]) suggested a generalized production model by adding a curve parameter in Schaefer model. Although, it applied extensively in non-symmetric curve, curve parameter was not necessary and non-symmetric curve was depending on varied carrying capacity (Wang and Wang [10]).

Any species need to adapt themselves continuously to variable environment. The South Pacific albacore stock was deeply depending on the sea surface temperature (Wang [11], Wang [12]). Wang (Wang [13]) showed that consuming the available food sufficiently was the best life strategies. Global change determines the environment and the same to the carrying capacity. This paper tried to estimate the extinction point of the species based on carrying capacity.

## 2. ESTIMATION OF CARRYING CAPACITY

If reliable catch and effort are available and fishing efforts could standardize sufficiently, Schaefer model was a useful tool for estimating the carrying capacity (Wang and Wang [10]). The method summarized as follows.

Schaefer (Schaefer [7], Schaefer [8]) provided a useful model for assessing fish stocks.

$$\frac{dB_t}{dt} = rB_t \left(1 - \frac{B_t}{K}\right) = V_t \quad (1)$$

where  $V_t$  = net production at time  $t$ ,  $B_t$  = biomass at time  $t$ ,  $r$  = intrinsic growth rate,  $K$  = carrying capacity. Positive, negative or zero of  $V_t$  means increasing, decreasing or stable of the biomass, respectively.

Under fishing, **Eq.1** becomes

$$\frac{dB_t}{dt} = V_t - Y_t = rB_t \left(1 - \frac{B_t}{K}\right) - F_t B_t \quad (2)$$

where  $F_t$  = fishing mortality rate at time  $t$ ,  $Y_t$  = catch at time  $t$ . Setting  $F$  to be constant in one year and integrating **Eq.2**, the annual catch is available as follows:

$$Y = FK \left[ 1 + \frac{1}{r} \ln \left( \frac{B_t}{B_{t+1}} \right) - \frac{q}{r} X \right] \quad (3)$$

where  $F = qX$  with  $q$  = catch ability,  $X$  = fishing effort,  $B_t$  = biomass at the beginning of this year,  $B_{t+1}$  = biomass at the end of this year. Under equilibrium catch,  $B_t = B_{t+1}$  implies

$$U = qK \left( 1 - \frac{q}{r} X \right) \quad (4)$$

where  $U = Y/X$  = catch per unit of fishing effort.

Generally,  $q$  is set to be constant after standardized fishing efforts sufficiently. Intrinsic growth rate  $r$  means the inherent ability of the reproduction and growth of this species. Generally, it sets to be constant. Carrying capacity depends on environment and varies year by year. Therefore, **Eq.3** should rewrite as follows.

$$Y_i = F_i K_i \left[ 1 + \frac{1}{r} \ln \left( \frac{B_{i,t}}{B_{i,t+1}} \right) - \frac{q}{r} X_i \right]$$

or

$$U_i = qK_i \left[ 1 + \frac{1}{r} \ln \left( \frac{B_{i,t}}{B_{i,t+1}} \right) - \frac{q}{r} X_i \right] \quad (5)$$

where  $U_i = Y_i/X_i$  = catch per unit of fishing effort. For stable environment, naturally carrying capacity is constant, say  $K_i = K_c$  for all  $i$ -year. It implies **Eq.6**.

$$U_i = qK_c \left[ 1 + \frac{1}{r} \ln \left( \frac{B_{i,t}}{B_{i,t+1}} \right) - \frac{q}{r} X_i \right] \quad (6)$$

This equation can use to estimate parameters  $r$ ,  $q$ , and  $K_c$  as follows:

$$U_i = A + B \ln \left( \frac{B_{i,t}}{B_{i,t+1}} \right) + C * X_i \quad (7)$$

where

$$A = qK_c, \quad B = \frac{qK_c}{r}, \quad C = -\frac{q^2 K_c}{r}$$

Set  $B_{i,t} = (U_{i-1} + U_i)/2$  and  $B_{i,t+1} = (U_i + U_{i+1})/2$  then  $A$ ,  $B$ , and  $C$  are available by the method of least squares as  $r = \frac{A}{B}$ ,  $q = -\frac{C}{B}$ ,  $K_c = -\frac{AB}{C}$ .

### 3. RESPONDING TO THE ENVIRONMENT

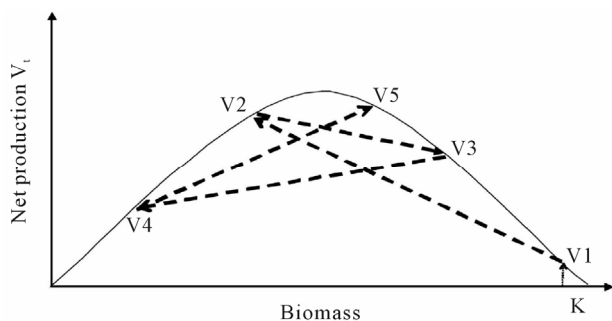
Theoretically, Schaefer model (Schaefer [7], Schaefer [8]) provided a symmetric curve of the relationships between net production and biomass. Applying to assessing fish stock, the symmetric curve was generally unavailable. Pella and Tomlinson (Pella and Tomlinson [9]) suggested a curve parameter for fitting the non-symmetric curve. However, non-symmetric curve was also available with variable carrying capacities (**Figure 1**). In population dynamics, the species need to adjust the fecundity, survival rate and/or growth rate responding to varied environments. As shown in **Figure 2**, any change of the fecundity, survival rate and/or growth rate will skew the curve. It indicated that the curve parameter is not necessary. However, variable  $m$  determined the skew curve and responding to the varied carrying capacity. It indicates that  $m$  should be necessary and meaningful biological index. It seems reasonable to rewrite equation (1) by adding a new index  $m$  as follows.

$$\frac{dB_t}{dt} = V_t = rB_t \left( 1 - \frac{B_t^m}{\alpha K} \right) \quad (8)$$

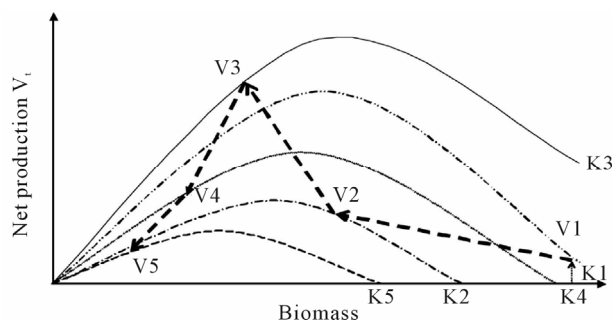
As shown above,  $m$  is an index reflecting the variables environments. For the present status, naturally it is  $m = 1$  and  $\alpha = 1$ . Better environment ( $\alpha > 1$ ) implies  $m > 1$ . Contrary, worse environment ( $\alpha < 1$ ) implies  $m < 1$ . Under extremely bad environment with  $\alpha$  approaching zero then  $m$  will evenly become negative. Negative  $m$  means that the environment is so bad even over the tolerant limit of the species. Clearly,  $m > 1$  is comparatively inactive depending on the varied environments. However, it is sharply reflecting to the environments as  $m < 1$  as shown in **Figure 3**. It seems indicating that  $m$  is an adaptation index reflecting to the varied environments. The adaptation rate  $m$  is a short-term index corresponding to the intrinsic growth rate  $r$  the long-term index of the species.

Naturally, all species will close to extinction if the environment is extremely bad. This is available when  $m = 0$  with net production always be negative. This is the absolute extinction point of the species. On the other hand, **Eq.1** reveals that negative net production is available while the environment becomes so bad with carrying capacity lower than the biomass. If it is continuously then the species is also approaching extinction. It implies that  $\alpha = B_t/K$  is the relative extinction point.

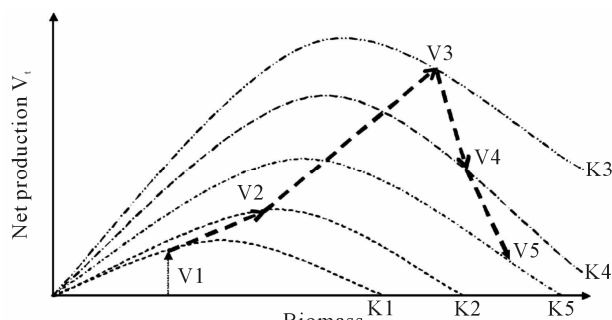
For south Pacific albacore stocks, the present status is



(a)



(b)



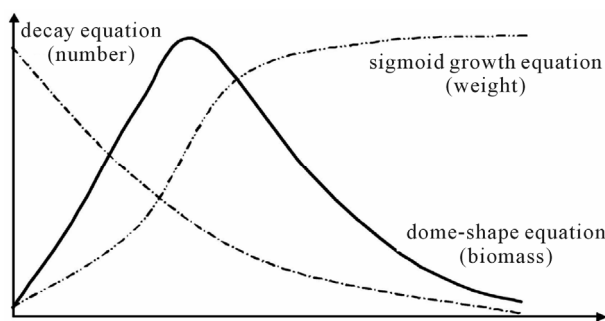
(c)

**Figure 1.** (a) Symmetric parabola curve if stable carrying capacity  $K$  with net production varied as:  $V_1 \rightarrow V_2 \rightarrow V_3 \rightarrow V_4 \rightarrow V_5$ ; (b) Mod skewed to the left when carrying capacity changed as:  $K_1 \rightarrow K_2 \rightarrow K_3 \rightarrow K_4 \rightarrow K_5$  and net production varied as:  $V_1 \rightarrow V_2 \rightarrow V_3 \rightarrow V_4 \rightarrow V_5$ ; (c) Mod skewed to the right when carrying capacity changed as:  $K_1 \rightarrow K_2 \rightarrow K_3 \rightarrow K_4 \rightarrow K_5$  and net production varied as:  $V_1 \rightarrow V_2 \rightarrow V_3 \rightarrow V_4 \rightarrow V_5$ .

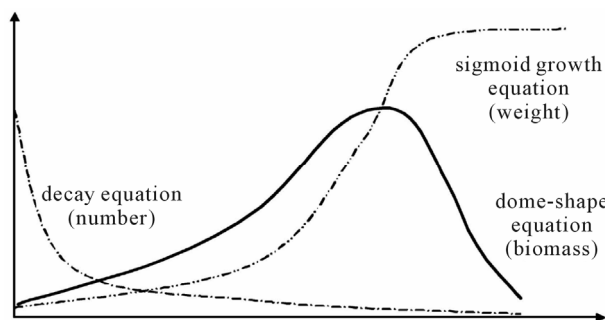
about  $r = 1.28374$ ,  $K = 97,985$  metric tons,  $V = 30,789$  metric tons and  $B = 56,079$  metric tons (Wang and Wang [10]). For the present status, net production will become negative as  $\alpha = 0.572$ . This is the relative extinction point of albacore stocks. If the environment is extremely bad with  $\alpha = 0.000017$  only, then  $m$  near to zero. This is the absolute extinction point of the albacore stocks.

#### 4. DISCUSSIONS AND CONCLUSIONS

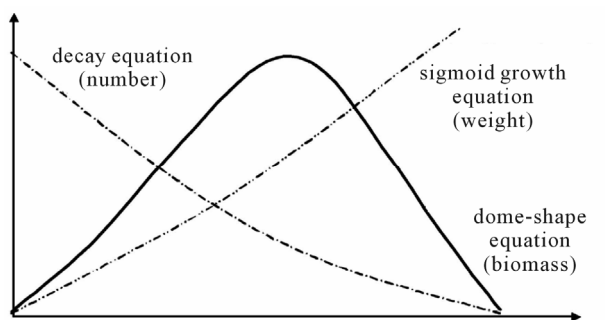
All species need to adapt themselves to the variable



(a)

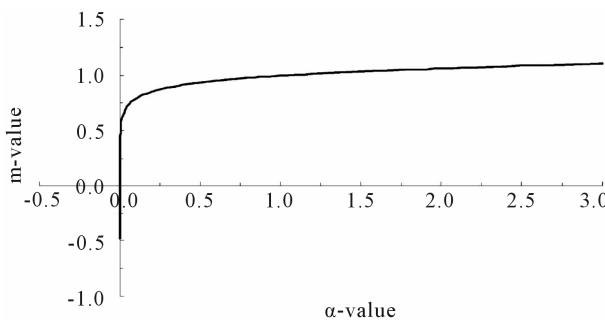


(b)



(c)

**Figure 2.** (a) Mod skewed to the left due to better environments; (b) Mod skewed to the right due to better environments; (c) Symmetric parabola curve under comparatively stable environments.



**Figure 3.** Adaptation index corresponding to the varied carrying capacity.

environments or they will disappear gradually from the earth. Violent environment is naturally unappreciable.

However, stable environment is always unavailable. Any decreasing of the carrying capacity implies the worse environment while increasing of the carrying capacity indicates the better environments. Relative extinction point provides the important information of the present status of the species. On the other hand, the absolute extinction point provides the important information of the tolerant limit of that species.

Global change is so important in the coming century. Due to different species appreciated different environments, it is not so easy to assess whether the global change is merit or damage. It seems necessary to choose some indicator species for assessing the influence of the global change. This study come out a predictable method for species faced and adjusted to the global change.

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