Frequency-Domain Receivers for Rate-1 Space-Time Block Codes

Mário Marques da Silva1,2,3, Rui Dinis1,4, Américo M. C. Correia1,5
1Instituto de Telecomunicações, Lisbon, Portugal
2Centro de Estudos de Sistemas de Informação e Tecnologias Informáticas, Portugal
3Universidade Autónoma de Lisboa, Lisboa, Portugal
4Universidade Nova, Lisboa, Portugal
5Instituto Superior de Ciências do Trabalho e da Empresa, Instituto Universidade de Lisboa, Lisboa, Portugal
E-mail: marques.silva@ieee.org, rdinis@netcabo.pt, americo.correia@iscte.pt
Received September 24, 2009; revised October 28, 2009; accepted November 30, 2009

Abstract

This paper considers iterative frequency-domain receivers for block transmission techniques with rate-1 Space Time Block Coding (STBC) for two and four transmit antennas using both Orthogonal Frequency Division Multiplexing (OFDM) and Single-Carrier (SC) schemes. The proposed receiver includes an interference canceller which enhances the performance of the non-orthogonal STBC scheme with 4 transmit antennas, allowing performances close to those of orthogonal codes. Our performance results show that combining STBC with block transmission techniques allows excellent performances.

Keywords: SC-FDE, Turbo Equalization, STBC, OFDM

1. Introduction

Block transmission techniques, with appropriate cyclic prefixes and employing FDE techniques (Frequency-Domain Equalization), have been shown to be suitable for high data rate transmission over severely time-dispersive channels [1,2]. OFDM (Orthogonal Frequency Division Multiplexing) is the most popular modulation based on this technique.

Single Carrier modulation using FDE is an alternative approach based on this principle. As with OFDM, the data blocks are preceded by a cyclic prefix, long enough to cope with the overall channel length. Due to the lower envelope fluctuations of the transmitted signals, and implicitly a lower PMEPR (Peak-to-Mean Envelope Power Ratio), Single Carrier – Frequency Domain Equalization (SC-FDE) schemes (also named as Single Carrier-Frequency Domain Multiple Access (SC-FDMA) are especially interesting for the uplink transmission (i.e., the transmission from the mobile terminal to the base station) [1,2].

OFDM transmission technique has been selected for the downlink of Long Term Evolution (LTE) in Release 8 of Third Generation Partnership Project (3GPP), as opposed to WCDMA which is the air interface technique that has been selected by European Telecommunications Standard Institute (ETSI) for UMTS. Moreover, SC-FDE technique has been selected for the uplink of LTE in Release 8 of 3GPP, to be deployed in 2010.

A promising Iterative Block–Decision Feedback Equalization technique (IB-DFE) for SC-FDE was proposed in [3] and extended to other scenarios in [4] and [5]. These IB-DFE receivers can be regarded as iterative DFE receivers where the feedforward and the feedback operations are implemented in the frequency domain, enhancing the performance as compared to non-iterative methods [3–5].

Transmit Diversity (TD) techniques are particularly interesting for fading channels where it is difficult to have multiple receive antennas (as in conventional receiver diversity schemes). A possible scenario is the downlink transmission where the base station uses several transmittal antennas and the mobile terminal has a single one [6,7].

The application of Alamouti like transmit diversity in OFDM schemes is more-or-less straightforward [8]. With respect to SC-FDE schemes, [9] proposed a way of combining it with a linear FDE. This technique was extended to SC-FDE with IB-DFE in [10].

In this paper, we consider transmit diversity schemes for both OFDM and SC-FDE schemes, specifically the STBC with two [6,7] and four antennas [11,12]. The same concept can be used in STBC based Multiple Input Multiple Output (MIMO) schemes by adopting receive
diversity. For OFDM schemes we consider conventional receiver and for SC-FDE schemes we consider IB-DFE receivers. For non-orthogonal codes (i.e., with more than two transmit antennas), we also consider iterative receivers with cancellation of the residual interference (for SC schemes with IB-DFE receivers, this means a negligible increase on the receiver complexity).

This paper is organized as follows. The system considered in this paper is introduced in Section 2 and Section 3 describes the proposed iterative receiver structure for SC-FDE systems with transmit diversity. A set of performance results is presented in Section 4 and Section 5 contains the conclusions of this paper.

2. System Characterization

2.1. Space Time Block Coding for Two Antennas

We consider block transmission schemes and the th transmitted block has the form

\[ s_i(t) = \sum_{n=-N_c}^{N_c-1} s_n h_i(t-nT_s) \]

with \( T_s \) denoting the symbol duration, \( N_c \) denoting the number of samples at the cyclic prefix and \( h_i(t) \) is the adopted pulse shaping filter. For a single transmit antenna system, the signal \( S_i(t) \) is transmitted over a time-dispersive channel and the signal at the receiver input is sampled and the cyclic prefix is removed, leading to the time-domain block \( \{ y_{k,j}; n=0,1,...,N-1 \} \), which is then subject to the frequency domain equalization. For SC-FDE schemes the th time-domain block to be transmitted is \( \{ s_{n,i}; n=0,1,...,N-1 \} \), where \( S_{n,i} \) is the \( i \)th data symbol, selected from a given constellation (e.g., a QPSK constellation) under an appropriate mapping rule (it is assumed that \( s_{n,i} = s_{n-i,j} \), \( n=-N_c,-N_c+1,...,1 \); the frequency-domain blocks associated with the data are \( \{ S_{k,j}; k=0,1,...,N-1 \} = DFT \{ y_{k,j}; n=0,1,...,N-1 \} \). For OFDM schemes, the data symbols are transmitted in the frequency domain, i.e., \( S_{n,j} \) are selected according to an appropriate constellation. At the output of the FDE we have the samples \( \hat{A}_{k,j} = Y_{k,j} H_{k,j}^* / \sqrt{\alpha + |H_{k,j}|^2} \) in the OFDM case this equalization process is simply accomplished through \( A_{k,j} = Y_{k,j} H_{k,j}^* \).

If we employ Alamouti’s transmit diversity we need some processing at the transmitter. The Alamouti’s coding can be implemented either in the time domain or in the frequency domain. In this paper we consider time-domain coding, although the extension to frequency domain coding is straightforward. By considering the Space Time Block Coding with two transmit antennas, the time-domain blocks to be transmitted by the \( m \)th antenna \((m = 1 \text{ or } 2)\) are \( \{ s_{n,i}^{(m)}; n=0,1,...,N-1 \} \), with

\[
\begin{align*}
  s_{n,1}^{(1)} &= a_{n,2l-1} \\
  s_{n,2}^{(1)} &= a_{n,2l} \\
  s_{n,1}^{(2)} &= -a_{n,2l} \\
  s_{n,2}^{(2)} &= a_{n,2l-1}
\end{align*}
\]

(2)

Considering the matrix-vector representation, this is equivalent to

\[
A_{ui}[2] = \begin{bmatrix} a_{u,1} & a_{u,2} \\ -a_{u,2} & a_{u,1} \end{bmatrix}
\]

(3)

Assuming that the cyclic prefix is longer than the overall channel impulse response of each channel, the th frequency-domain block after the FDE block (i.e., the DFT of the th received time-domain block, after removing the cyclic prefix) is

\[ \{ y_{k,j}; n=0,1,...,N-1 \} = IDFT \{ Y_{k,j}; k=0,1,...,N-1 \}, \]

with

\[
Y_{k,j} = s_{k,1}^{(i)} H_{k,j}^{(i)} + s_{k,2}^{(i)} H_{k,j}^{(2)} + N_{k,j}^{(i)}
\]

(4)

where \( \{ H_{k,j}^{(i)}; k=0,1,...,N-1 \} = DFT \{ h_{k,j}^{(i)}; n=0,1,...,N-1 \} \) denotes the channel frequency response for the th subcarrier and the \( m \)th transmit antenna (the channel is assumed invariant in the frame) and \( N_{k,j}^{(i)} \) is the frequency-domain block channel noise for that subcarrier and the th block. Assuming, for now, the conventional linear FDE for SC schemes, the Alamouti’s post-processing for two antennas (denoted in this paper STBC2) comes,

\[
\begin{align*}
\hat{A}_{k,2l-1} &= Y_{k,2l-1} H_{k,2l-1}^{(i)} + Y_{k,2l} H_{k,2l}^{(2)} \beta_{k}^{(2)} \\
\hat{A}_{k,2l} &= Y_{k,2l} H_{k,2l}^{(i)} - Y_{k,2l-1} H_{k,2l-1}^{(2)} \beta_{k}^{(2)}
\end{align*}
\]

(5)

where \( \{ A_{u,i},k=0,1,...,N \} = DFT \{ a_{n,i},n=0,1,...,N \} \) and where \( \beta_{k}^{(2)} = \left( \alpha + \left[ \left| H_{k,j}^{(i)} \right|^2 + \left| H_{k,j}^{(2)} \right|^2 \right] \right)^{-1} \). This leads to

\[
\hat{A}_{k,2l-1} = A_{k,2l-1} \sum_{j=0}^{M} \left| H_{k,j}^{(i)} \right|^2 \beta_{k,j}^{(2)} + N_{k,2l-1}^{(i)}
\]

In addition, we define \( \alpha = E \left[ N_{k,j}^{(i)} \right] / E \left[ S_{k,j} \right] \), \( N_{k,j}^{(i)} \) denotes the equivalent noise for detection purposes, with

\[
E \left[ N_{k,j}^{(i)} \right] = 2 \sigma_{k,j} \left( \sum_{j=0}^{M} \left| H_{k,j}^{(i)} \right|^2 \right)^{1/2}
\]

and with \( \sigma_{k,j} = E \left[ N_{k,j}^{(i)} \right] / 2 \).

The Alamouti’s post-processing for OFDM signals is the same as defined in (5) but without multiplying by the \( \beta_{k}^{(2)} \) component.
2.2. Space Time Block Coding for Four Antennas

Using unspecified complex valued modulation, such an improvement is possible only for the two antenna scheme. Higher schemes with 4 and 8 antennas with code rate one exists only in the case of binary transmission [13]. The proposed STBC4 scheme has M=4 transmission antennas, presenting a code rate one. The symbol construction can be generally written as [11–12]

\[
A_{n,[4]} = \begin{bmatrix} A_{n,[2]} & A'_{n,[2]} \\ A_{n,[4]} & -A'_{n,[2]} \end{bmatrix}
\]

where \(A_{n,[4]}\) is the same as \(A_{n,[2]}\), by replacing the subscripts 1 by 3 and 2 by 4. Similarly to (2), considering the Space Time Block Coding with four transmit antennas, the time-domain blocks to be transmitted by the \(n\)th antenna \((m = 1, 2, 3, 4)\) are \(\{s_{n,m}; n = 0, 1, \ldots, N - 1\}\), with

\[
\begin{align*}
\{s_{n,1}\}_{n=0}^{N-1} &= \{a_{n,0}, a_{n,3}\} \\
\{s_{n,2}\}_{n=0}^{N-1} &= \{-a^*_{n,0}, a^*_{n,3}\} \\
\{s_{n,3}\}_{n=0}^{N-1} &= \{-a_{n,0}, -a_{n,3}\} \\
\{s_{n,4}\}_{n=0}^{N-1} &= \{a_{n,0}, -a_{n,3}\}
\end{align*}
\]

The \(l\)th frequency-domain block after the FDE block (i.e., the DFT of the \(l\)th received time-domain block, after removing the cyclic prefix) is \(\{Y_{l,n}; n = 0, 1, \ldots, N - 1\} = \text{IDFT}\{Y_{l,n,k}; n = 0, 1, \ldots, N - 1\}\), with

\[
Y_{l,n} = S_{l,n}^H H_{l,n}^{(n)} + S_{l,n}^H H_{l,n}^{(n)} + S_{l,n}^H H_{l,n}^{(n)} + S_{l,n}^H H_{l,n}^{(n)} + N_{l,n}
\]

Assuming, for now, the conventional SC-FDE decoding (i.e., no IB-DFE receiver), the post-processing STBC for four antennas (\(M=4\)) comes,

\[
\tilde{A}_{k,l+1} = \begin{bmatrix} Y_{k,l+1,n} H_{k,l+1}^{(n)} + Y_{l,k+1,n} H_{l,k+1}^{(n)} - Y_{l,k+1,n} H_{l,k+1}^{(n)} - Y_{k,l+1,n} H_{k,l+1}^{(n)} \end{bmatrix} \beta_{k,l}^{(n)}
\]

where \(\beta_{k,l}^{(n)} = \left(\alpha + \sum_{m=1}^{M} H_{k,l,n}^{(m)} \right)^{-1}\), where \(\alpha\) is defined as above \((j=1, 2, 3, 4)\), and where

\[
C = \text{Re} \left\{ \frac{H_{k,l,n}^{(j)} H_{l,k+1,n}^{(j)} - H_{l,k+1,n}^{(j)} H_{k,l,n}^{(j)}}{\sum_{m=1}^{M} |H_{k,l,n}^{(m)}|^2} \right\}
\]

which stands for the residual interference coefficient generated in the STBC decoding process. In the following we will show how we can remove this residual interference.

3. Receiver Design

In this section we describe an IB-DFE receiver for Space Time Block Coding with four antennas considering SC-FDE signals. The frequency-domain block at the output of the receiver is \(\{\tilde{A}_{k,l+1}^{(n)}; k = 0, 1, \ldots, N - 1\}\), with

\[
\tilde{A}_{k,l+1}^{(n)} = Y_{k,l+1,n} H_{k,l+1}^{(n)} + Y_{l,k+1,n} H_{l,k+1}^{(n)} - Y_{l,k+1,n} H_{l,k+1}^{(n)} - Y_{k,l+1,n} H_{k,l+1}^{(n)}
\]

Cancelling of residual interference - IB-DFE feedback

\[
\begin{align*}
\tilde{A}_{k,l+2}^{(n)} &= Y_{k,l+2,n} F_{k,l+2}^{(n)} - Y_{l,k+2,n} F_{l,k+2}^{(n)} - Y_{k,l+2,n} F_{k,l+2}^{(n)} + Y_{l,k+2,n} F_{l,k+2}^{(n)} \\
&\quad + C \tilde{A}_{k,l+1}^{(n)} - B_{k,l+1}^{(n)} - C \tilde{A}_{k,l+2}^{(n)} - B_{k,l+2}^{(n)} \\
\tilde{A}_{k,l+3}^{(n)} &= Y_{k,l+3,n} F_{k,l+3}^{(n)} - Y_{l,k+3,n} F_{l,k+3}^{(n)} - Y_{k,l+3,n} F_{k,l+3}^{(n)} + Y_{l,k+3,n} F_{l,k+3}^{(n)} \\
&\quad + C \tilde{A}_{k,l+2}^{(n)} - B_{k,l+2}^{(n)} - C \tilde{A}_{k,l+3}^{(n)} - B_{k,l+3}^{(n)} \\
\tilde{A}_{k,l+4}^{(n)} &= Y_{k,l+4,n} F_{k,l+4}^{(n)} - Y_{l,k+4,n} F_{l,k+4}^{(n)} - Y_{k,l+4,n} F_{k,l+4}^{(n)} + Y_{l,k+4,n} F_{l,k+4}^{(n)} \\
&\quad + C \tilde{A}_{k,l+3}^{(n)} - B_{k,l+3}^{(n)} - C \tilde{A}_{k,l+4}^{(n)} - B_{k,l+4}^{(n)}
\end{align*}
\]

where \(C_k\) is as defined for (9). The feedforward coefficients are \(\{F_{k,l}^{(n)}; k = 0, 1, \ldots, N - 1; m = 1, 2, \ldots, M\}\) and the feedback coefficients are \(\{B_{k,l}^{(n)}; k = 0, 1, \ldots, N - 1\}\). The block matrix \(\{a_{k,l+1}^{(n)}; n = 0, 1, \ldots, N - 1\} = \text{IDFT}\{ a_{k,l+1}^{(n)}; n = 0, 1, \ldots, N - 1\}\), and denotes the DFT transform of the data estimates associated to the previous iteration, i.e., the Hard Decisions associated to the time-domain block at the output of \(\{a_{k,l+1}^{(n)}; n = 0, 1, \ldots, N - 1\}\). The average signal conditioned to the FDE output for the previous iteration \(\{a_{k,l+1}^{(n)}; n = 0, 1, \ldots, N - 1\}\) from (19). It is worth noting that since \(\tilde{A}_{k,l+1}^{(n)}\) presents residual interference, the detection of \(\tilde{A}_{k,l+2}^{(n)}\) should be accompanied by the detection of \(\tilde{A}_{k,l+2}^{(n)}\) (with \(p=3-j\)) to allow the cancellation of the residual interference generated in the STBC4 decoding plus IB-DFE feedback.
The correlation coefficient is given by [14]

\[
\rho^{(i)}_{d_{i,l}-j} = \frac{1}{2N} \sum_{n=1}^{N} \left( \rho^{(i)}_{d_{n,d_{i,l}-j}} + \rho^{(i)}_{d_{n,d_{i}-j}} \right)
\]  

(\rho^{(i)}_{d_{i,l}-j} is almost independent of \(l\) for large values of \(N\), provided that \(H_{e,j}^{(\text{m})}\) is constant for the frame duration), as

\[
\rho^{(i)}_{u_{n,d_{i,l}-j}} = \tanh \left( \frac{I_{n}^{(i)}}{2} \right)
\]

\[
\rho^{(i)}_{u_{n,d_{i}-j}} = \tanh \left( \frac{I_{n}^{(i)}}{2} \right)
\]

The LLRs (Log Likelihood Ratios) of the "in-phase bit" and the "quadrature bit", associated to \(d_{n,a_{i,l}-j}\) and \(d_{n,a_{i}-j}\), respectively, are given by

\[
I_{n}^{(i)} = \frac{2}{\sigma_{i}^{(i)}} d_{n,a_{i,l}-j}
\]

\[
I_{n}^{(i)} = \frac{2}{\sigma_{i}^{(i)}} d_{n,a_{i}-j}
\]

respectively, with

\[
\sigma_{i}^{(i)} = \frac{1}{2} E \left[ d_{n,a_{i,l}-j} - d_{n,a_{i,l}-j}^{(i)} \right]^{2} \approx \frac{1}{2N} \sum_{n=1}^{N} \left( d_{n,a_{i,l}-j} - d_{n,a_{i,l}-j}^{(i)} \right)^{2}
\]

(as with \(\rho^{(i)}_{d_{i,l}-j}\), \(\sigma_{i}^{(i)}_{d_{i,l}-j}\) is almost independent of \(l\) for large values of \(N\), provided that \(H_{e,j}^{(\text{m})}\) remains constant for the frame duration).

The conditional average values associated with the data symbols are given by

\[
\tilde{a}_{n,a_{i,l}-j}^{(i)} = \tanh \left( \frac{L_{n}^{(i)}}{2} \right) + j \tanh \left( \frac{L_{n}^{(i)}}{2} \right)
\]

\[
\tilde{a}_{n,a_{i}-j}^{(i)} = \tanh \left( \frac{L_{n}^{(i)}}{2} \right) + j \tanh \left( \frac{L_{n}^{(i)}}{2} \right)
\]

Therefore, the several symbols of order \(i\)th (\(j=0,1,2,3\) that comprise the STBC4 block need to be decoded independently by the IB-DFE receiver, with the exception of the symbol estimates that originate the residual interference generated in the STBC4 decoding process, as shown in (10). The IB-DFE with soft decisions described above does not need to perform the channel decoding in the feedback loop. As an alternative, we can define a Turbo FDE that employs the channel decoder outputs, instead of the uncoded “soft decisions” in the feedback loop of the IB-DFE. The main difference between IB-DFE with soft decisions and the Turbo FDE is in the decision device: in the first case the decision device is a symbol-by-symbol soft-decision (for QPSK constellation this corresponds to the hyperbolic tangent, as in (19)).
for the Turbo FDE a Soft-In, Soft-Out channel decoder is employed in the feedback loop. The Soft-In, Soft-Out block, that can be implemented as defined in [15], provides the LLRs of both the “information bits” and the “coded bits”. The input of the Soft-In, Soft-Out block are LLRs of the “coded bits” at the FDE output, given by (17) and (18).

The receiver for OFDM schemes with STBC2 is straightforward. For OFDM schemes with STBC4, (10) also applies with the difference that there is no feedback component, and the feedforward component only have the numerator of (12). It is worth noting that these STBC schemes can easily be extended to multiple receive antennas.

4. Performance Results

In this section we present a set of performance results concerning the proposed receivers, for both SC-FDE and OFDM schemes with two and four-antenna STBC schemes. We consider both Bit Error Rate (BER) and Block Error Rate (BLER) performances, which are expressed as a function of $E_b/N_0$, where $N_0$ is the one-sided power spectral density of the noise and $E_b$ is the energy of the transmitted bits (i.e., the degradation due to the useless power spent on the cyclic prefix is not included).

Each block has $N = 256$ symbols selected from a QPSK constellation under a Gray mapping rule (similar results were observed for other values of $N$, provided that $N >> 1$). The pulse shaping filter is raised cosine with roll-off 0.1. The results shown in this paper considers the Pedestrian A propagation environment [16].

The channel is assumed to be invariant during the block. The duration of the useful part of the blocks ($N$ symbols) is $1\mu s$ and the cyclic prefix has duration $0.125\mu s$. For SC-FDE systems we considered the IB-DFE receiver with soft decisions and the Turbo FDE, both with five iterations. Beyond this number the performance improvement was almost negligible.

Linear power amplification is considered at the transmitter and perfect synchronization is assumed at the receiver. The channel encoder is a convolutional code with generators $1+D^2+D^4+D^5+D^6$ and $1+D+D^2+D^3+D^4$, and the coded bits associated to a given block are interleaved and mapped into the constellation points.

Figure 1 considers uncoded BER results for the SC-FDE. In this case, the Linear FDE and the Turbo FDE receivers considered. For the linear FDE receiver, the STBC4 performs worse than the STBC2, due to the residual interference. However, for the Turbo FDE (i.e., the proposed iterative frequency-domain receiver that employs the channel decoder outputs), the STBC4 outperforms the linear FDE receiver performs very badly, due to the residual interference (generated in the STBC4 decoding process). However, when we add the IB-DFE with soft decisions to the STBC4, we have a significant performance improvement, namely due to the ability to mitigate the residual interference. It is worth noting that, with the IB-DFE receiver, the STBC4 achieves a performance improvement over the STBC2. It happens because the proposed receiver cancels the interference generated in the STBC4 decoding process. This residual interference is, in fact, the reason why this STBC4 scheme is considered as non-orthogonal. In this case, we have seen that the non-orthogonality is not a reason for loss of performance.

Figure 2 concerns the coded results for the SC-FDE. In this case, the Linear FDE and the Turbo FDE receivers considered. For the linear FDE receiver, the STBC4 performs worse than the STBC2, due to the residual interference. However, for the Turbo FDE (i.e., the proposed iterative frequency-domain receiver that employs the channel decoder outputs), the STBC4 outperforms the linear FDE receiver.
the STBC2 (and the SISO, as expected). This is a consequence of the additional diversity order and the effective residual interference cancellation inherent to the proposed receiver. Therefore, although using a higher number of antennas leads to an increase in the system complexity, its advantage is clear as long as the proposed iterative receiver is adopted.

Figure 3 shows a performance comparison between SC-FDE and OFDM when channel coding is considered (it is well-known that uncoded performances are very poor for OFDM schemes). Note that the OFDM receiver for the STBC4 also includes a residual interference canceller, similar to the one included and described in the IB-DFE that was considered for the SC-FDE STBC4. The proposed Turbo FDE receiver for SC-FDE signals allows similar or better performance than coded OFDM signals for the STBC schemes considered. However, OFDM technique presents much more demanding requirements in terms of PMEPR, as compared to SC-FDE technique.

Figure 4 shows the uncoded BER performance of STBC4 with and without residual interference cancellation for both SC-FDE (in this case the IB-DFE receiver is considered) and OFDM. From this figure it is seen that, when the residual interference cancellation is considered, SC-FDE with the proposed iterative receiver achieves better results than those achieved with OFDM. Moreover, when we focus on the results without the residual interference cancellation, it is clear the much better results achieved with the SC-FDE due to the inherent ability of the iterative frequency domain SC-FDE receiver to cancel generic interference. In this case, SC-FDE without the residual interference cancellation achieves approximately the same performance than that achieved with the OFDM scheme with the interference cancelled. Finally, it is noticeable the very bad performance obtained with the OFDM technique when the residual interference is not cancelled.

Figure 5 shows the coded BER performance of STBC4 with and without residual interference cancellation for both SC-FDE and OFDM. From this figure it is observed that, when the residual interference cancellation is considered, SC-FDE with the proposed iterative receiver (i.e., the Turbo FDE receiver) achieves similar results to those achieved with OFDM. However, when we focus on the results without the residual interference cancellation, as before, it is clear the better results achieved with the SC-FDE, for higher values of $E_b/N_0$, due to the inherent ability of the iterative frequency domain receiver (Turbo FDE) to cancel generic interference. Figure 6 presents results similar to Figure 3, but in terms of BLER, instead of the BER. As before, for the same diversity order, SC-FDE schemes achieve similar results as those obtained with the OFDM. The BLER results confirm the advantage of the STBC4 over lower diversity orders.

5. Conclusions

In this paper we considered iterative frequency-domain

Figure 4. Uncoded BER performance for STBC4 (w/ and w/out residual interference cancellation).

Figure 5. Coded BER performance for STBC4 (w/ and w/out residual interference cancellation).
receivers for SC-FDE technique with code rate-1 STBC using two or four transmit antennas. OFDM technique was also considered in system description and performance results.

Since our STBC with 4 transmit antennas is not orthogonal, our receiver includes the cancellation of the residual interference.

The proposed Turbo FDE receiver for SC-FDE signals allows similar or better performance than coded OFDM signals with the same diversity order. However, OFDM technique presents much more demanding requirements in terms of PMEPR, as compared to SC-FDE technique, limiting its applicability. In this sense, SC-FDE is a good alternative to OFDM transmission technique, especially for the uplink.

It was shown that the best overall performance is achieved with STBC4 schemes, as long as the receiver includes the described residual interference cancellation system. It is worth noting that by adding $N$ order receive diversity ($N$ receive antennas instead of a single one), the proposed SC-FDE STBC4 receiver keeps being valid and the system can be seen as a $4 \times N$ MIMO system.

6. Acknowledgements

This work was supported by the Portuguese Foundation for the Science and Technology (FCT).

7. References


